



# Kinetic parameters for gas phase photocatalysis: analytic versus multiphysics approach

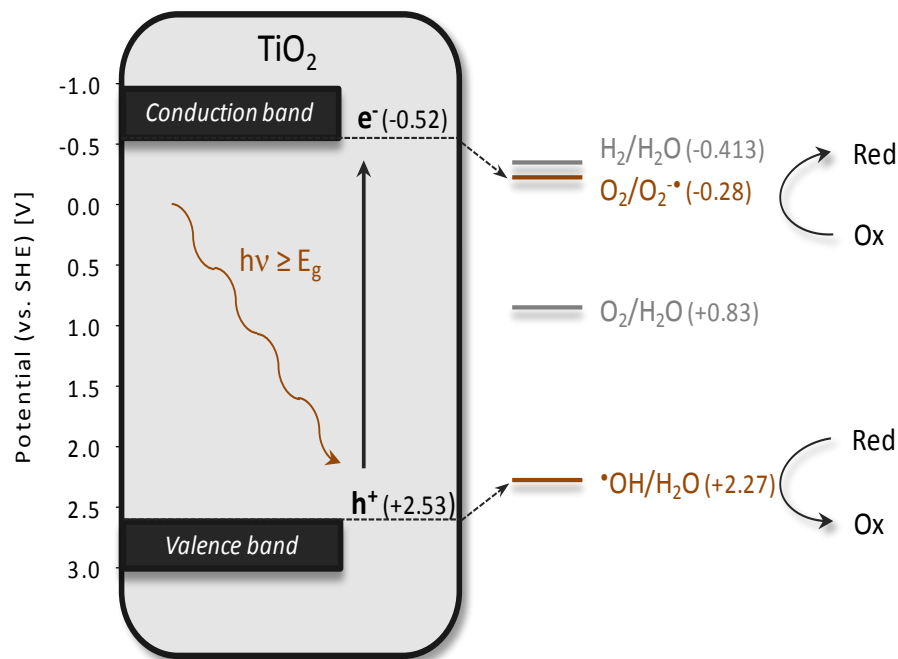
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# Photocatalysis

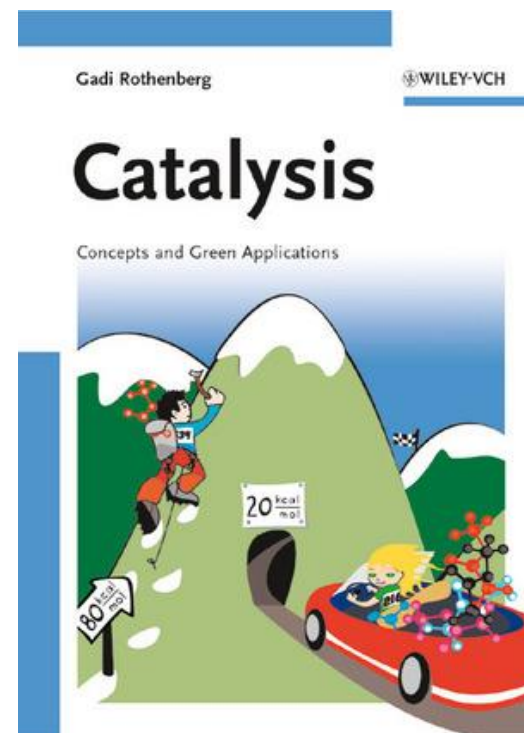
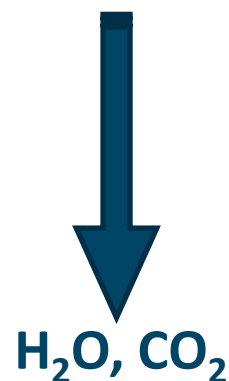
**Catalyst:** increases reaction rate without being consumed

**Photo-catalyst:** catalyst activated by (UV-)light

Most often titanium dioxide (TiO<sub>2</sub>)



VOC's

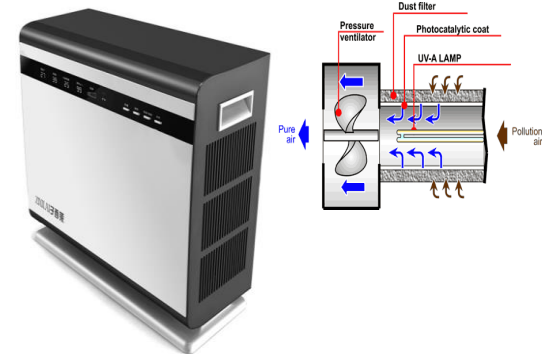


# Photocatalysis: application fields

Water purification/desinfection



Air purification



Self-cleaning materials



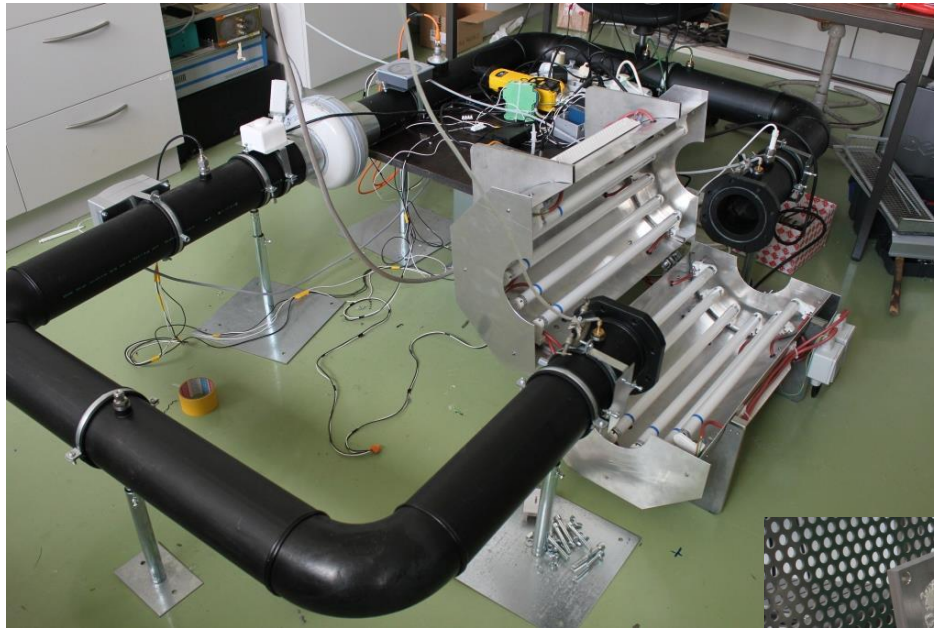
# Research goals

**Main goal:** development of suitable photoreactors for air purification

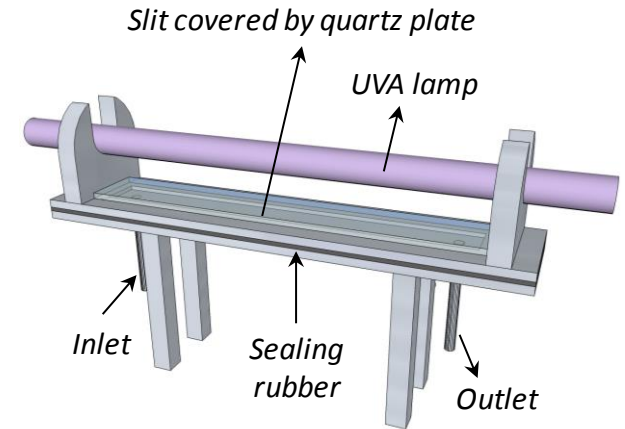
**Sub goal:** determination and exploitation of the main catalyst characteristics driving photocatalytic activity in the gas phase



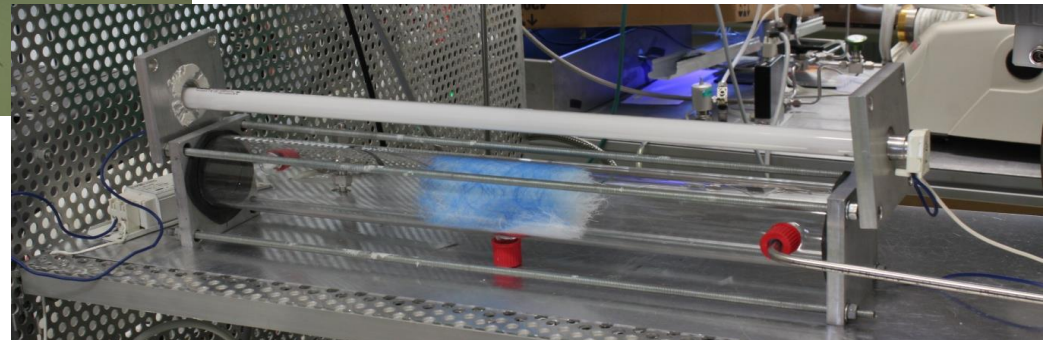
# Intrinsic kinetic parameters



HVAC photoreactor



Flat bed photoreactor



Tubular photoreactor (glass fibre)



# Intrinsic kinetic parameters



Langmuir adsorption:  
fractional coverage of VOC on  
an illuminated TiO<sub>2</sub> surface

$$\theta_{\text{VOC}} = \frac{K_L C_{\text{VOC}}}{1 + K_L C_{\text{VOC}}}$$

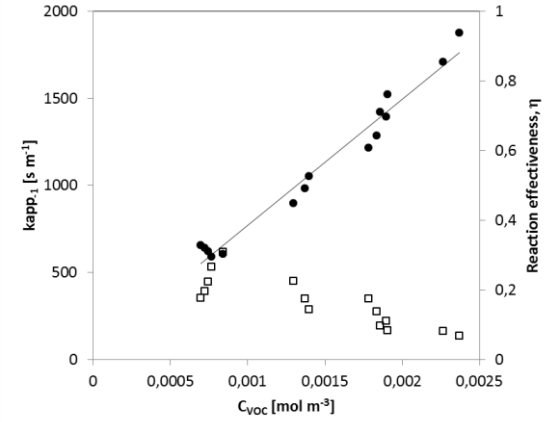
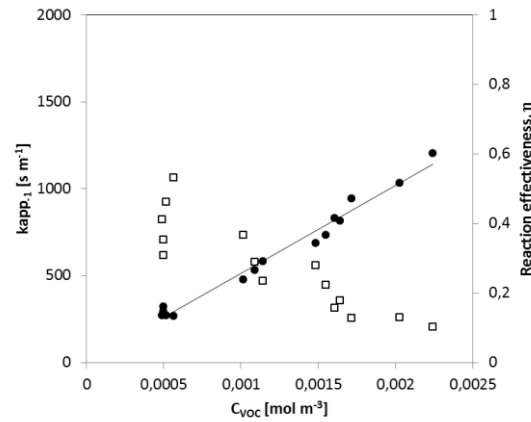
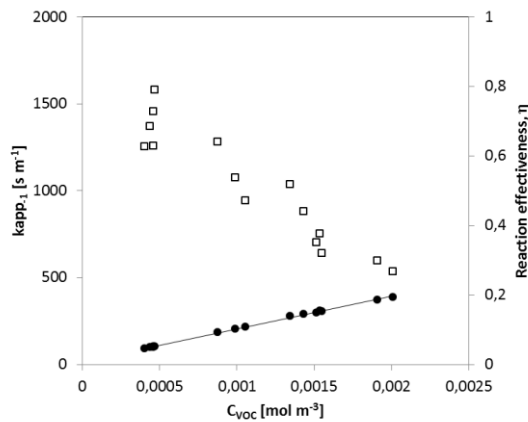
$$r = k_{\text{LH}} \theta_{\text{VOC}} = \frac{k_{\text{LH}} K_L C_{\text{VOC}}}{1 + K_L C_{\text{VOC}}} = k_{\text{app}} C_{\text{VOC}}$$

Intrinsic kinetic  
parameters

# Analytic model

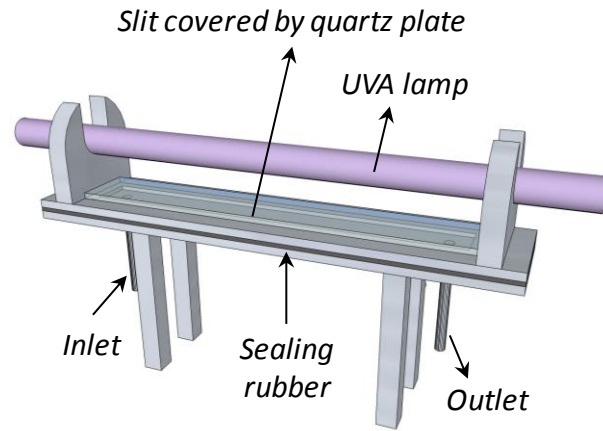
$$r = k_{LH} \theta_{VOC} = \frac{k_{LH} K_L C_{VOC}}{1 + K_L C_{VOC}} = k_{app} C_{VOC}$$

$$\frac{1}{k_{app}} = \frac{1}{K_L k} + \frac{1}{k} C_{VOC}$$



Plot of  $k_{app}^{-1}$  (●) and  $\eta$  (□) versus the average surface concentration  $C_{VOC}$  for a) 1.1 mW cm<sup>-2</sup>, b) 1.8 mW cm<sup>-2</sup> and c) 2.6 mW cm<sup>-2</sup> incident UVA intensity

# Analytic model: mass transfer



Mass conservation:

$$G \frac{\partial C_{VOC, \infty}(x)}{\partial x} dx = -j(x) p dx$$

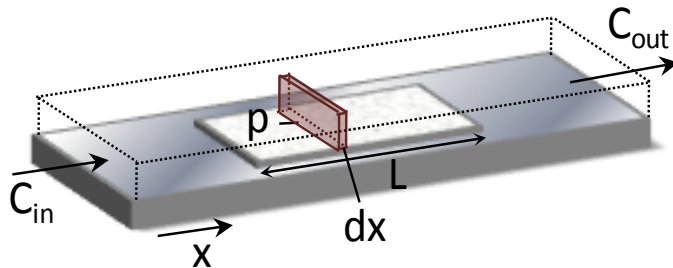
Mass convection at the boundary:

$$j(x) = \frac{C_{VOC, \infty}(x)}{1/h_{mass}(x) + 1/k_{app}(x)}$$

Solution:

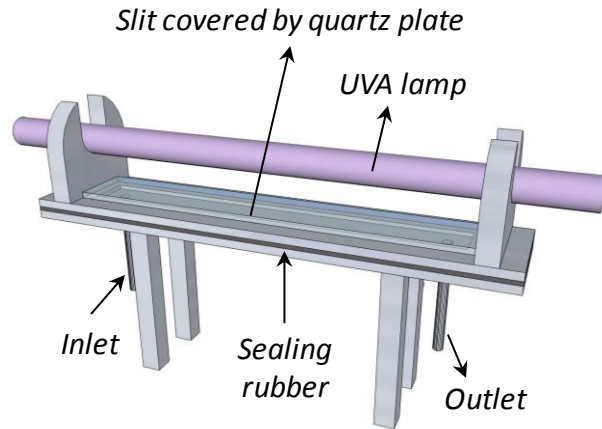
$$C_{VOC, \infty, out} = C_{VOC, \infty, in} e^{-K_t A/G}$$

$$K_t = \frac{1}{1/h_{mass} + 1/k_{app}}$$



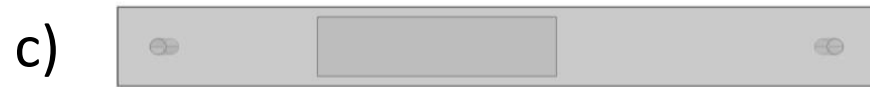
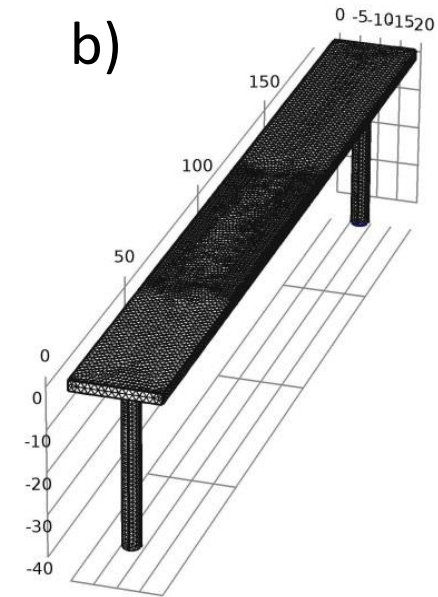
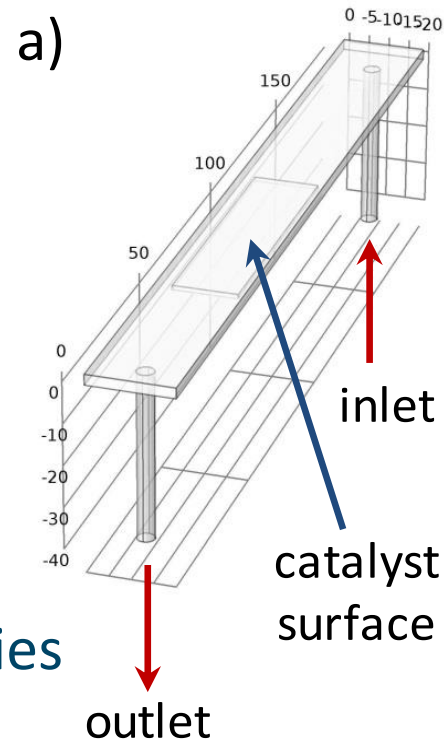


# Comsol model



- 250,000 cells
- Laminar flow
- Transport of diluted species
- Surface reaction

$$r = \frac{k_{LH} K_L C_{VOC}}{1 + K_L C_{VOC}}$$

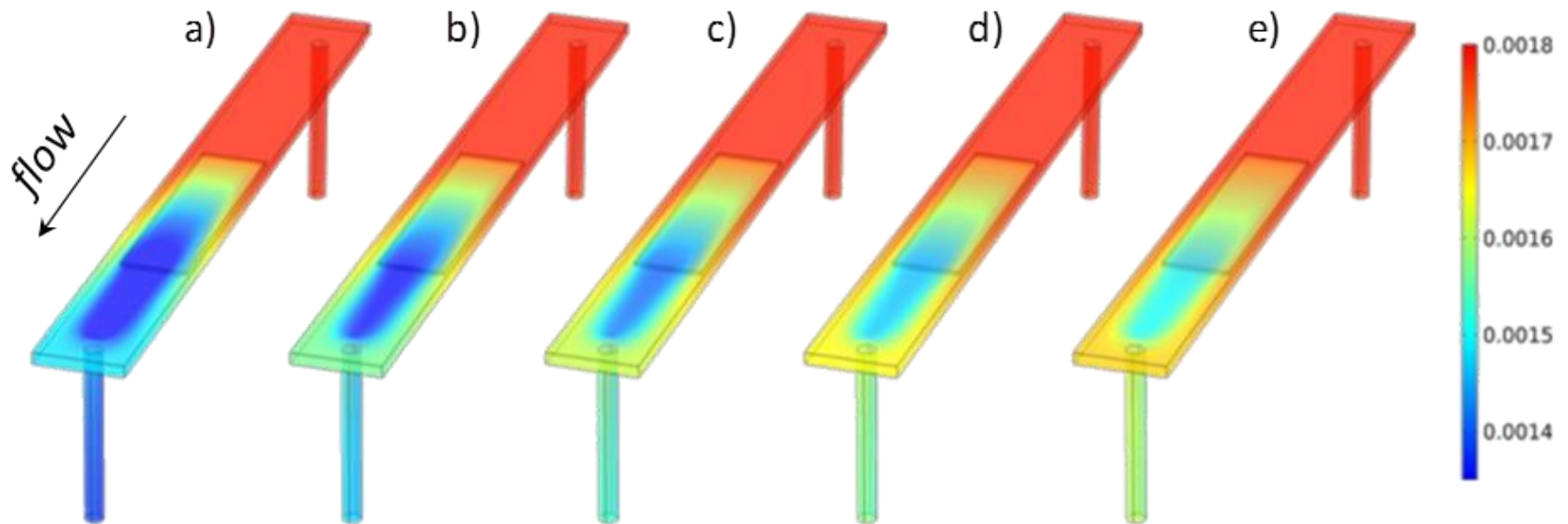


# Comsol model: optimization

- Step 1: Stationary solver: laminar flow
- Step 2: transport of diluted species and optimization
- Nelder-mead
- Optimization variables:  $K_L$  and  $k_{LH}$
- objective function: 
$$Obj = \left| C_{VOC, \infty, out, exp} - C_{VOC, \infty, out, CFD} \right|$$



# Comsol model: results



Acetaldehyde concentrations in steady state condition. The acetaldehyde inlet concentration was 43 ppmv (0.00179 mol m<sup>-3</sup>), at an effective total inlet gas flow rate of: a) 300 cm<sup>3</sup> min<sup>-1</sup>, b) 375 cm<sup>3</sup> min<sup>-1</sup>, c) 450 cm<sup>3</sup> min<sup>-1</sup>, d) 525 cm<sup>3</sup> min<sup>-1</sup> and e) 600 cm<sup>3</sup> min<sup>-1</sup>



# Comsol model: results

Summary of the kinetic parameters calculated in accordance with the analytic mass transfer based method and the Comsol method after an optimization procedure

Intensity [mW cm <sup>-2</sup> ]	$k_{LH}$ [mol s <sup>-1</sup> m <sup>-2</sup> ]		$K_L$ [m <sup>3</sup> mol <sup>-1</sup> ]	
	<i>Mass transfer based (analytic)</i>	<i>Optimized numeric (CFD)</i>	<i>Mass transfer based (analytic)</i>	<i>Optimized numeric (CFD)</i>
1.1	$1.38 \times 10^{-6}$	$(1.58 \pm 0.13) \times 10^{-6}$	$1.45 \times 10^4$	$(1.78 \pm 0.15) \times 10^4$
1.8	$2.11 \times 10^{-6}$	$(2.40 \pm 0.20) \times 10^{-6}$	$1.47 \times 10^4$	$(1.65 \pm 0.11) \times 10^4$
2.6	$5.35 \times 10^{-6}$	$(6.23 \pm 0.47) \times 10^{-6}$	$1.02 \times 10^4$	$(1.16 \pm 0.08) \times 10^4$

