

Modeling of Transport Phenomena in Gas Tungsten Arc Welding of Ni to 304 Stainless Steel

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Motivation

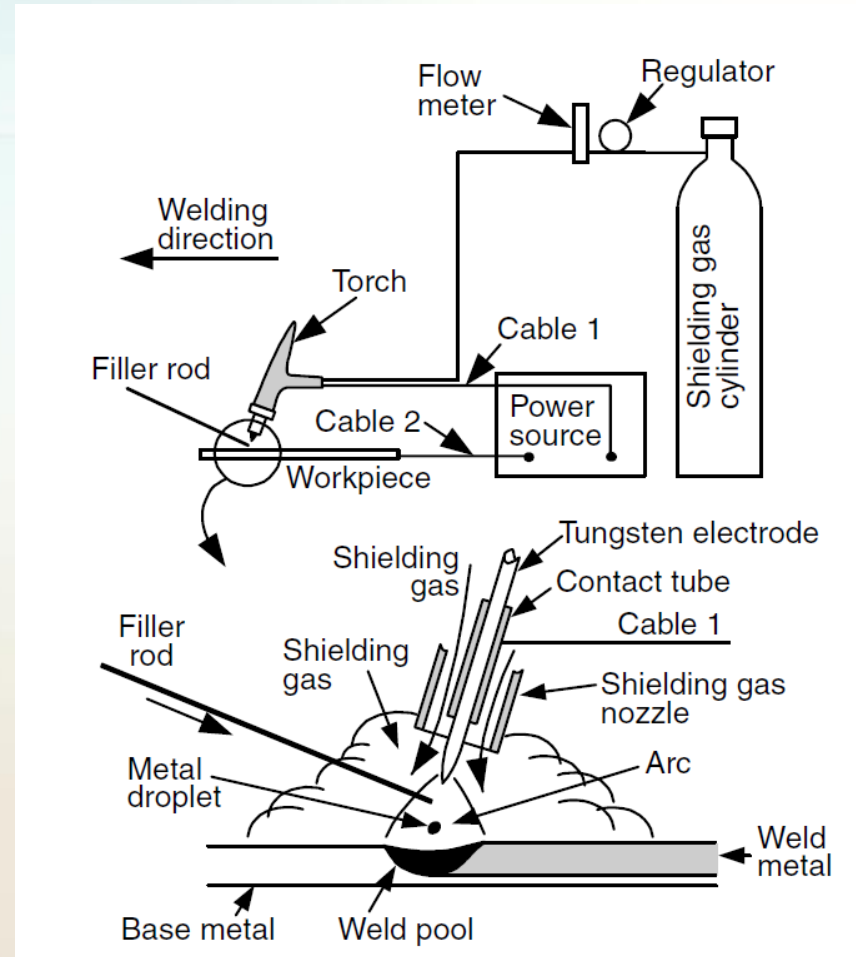
- Joining of dissimilar metals / alloys by using arc welding has been a challenge in several industries such as power plants and offshore piping.
- Challenging physics behind the welding of dissimilar alloys is not yet well understood, because of differences in the thermo-physical, mechanical, and metallurgical properties.

For this reason to produce quality dissimilar welds, it is necessary to perform mathematical / numerical modeling of transport phenomena in the weld pool during melting & solidification.

Not only does modeling of the dissimilar welds provide a better understanding of the physics behind it, but also is a more cost effective process to produce high quality welds.

Gas Tungsten Arc (GTA) welding

- An arc is established between a tungsten electrode and the base metal.
- Tungsten electrode is not a consumable.
- An inert shielding gas protects the weld from the atmosphere



(Welding Metallurgy; S. Kou; 2003)

Transport phenomena

➤ Physics involved in the welding process

- Electromagnetics
- Fluid flow
- Heat transfer

➤ Dissimilar welding

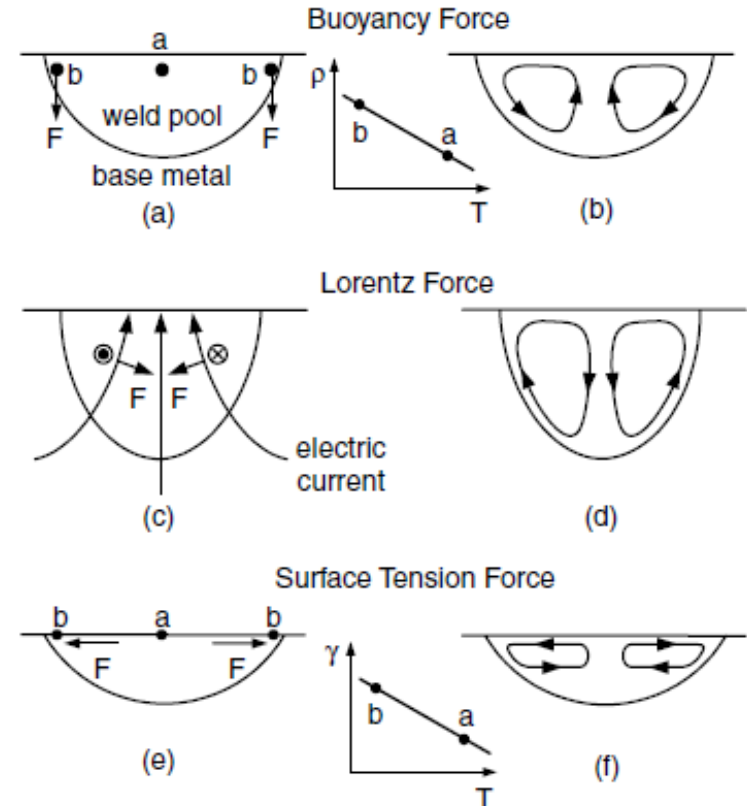
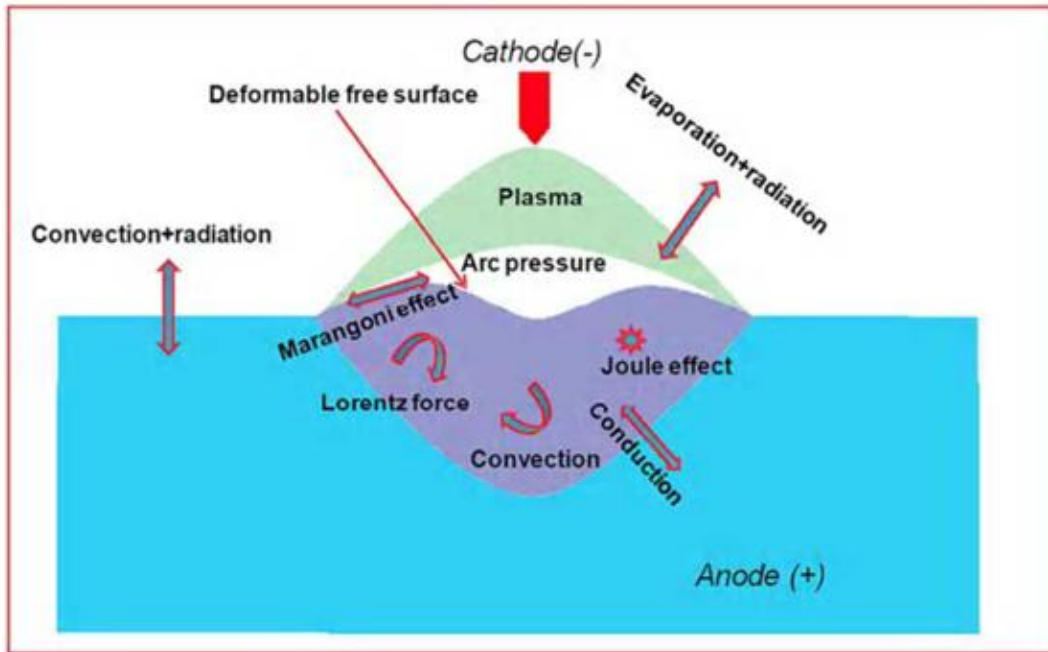
- Different properties
- Three dimensional modeling
- Mass transfer



- **Weld zone shape and penetration**
- **Dilution**
- **Cooling rate (Thermal cycle)**
- Heat affected zone geometry / width
- Thermal stress residues
- Defect formation

Convective Forces

- Buoyancy force
- Lorentz Force
- Marangoni effect depends on dy/dT



(Welding Metallurgy; S. Kou; 2003)

Mathematical Formulations

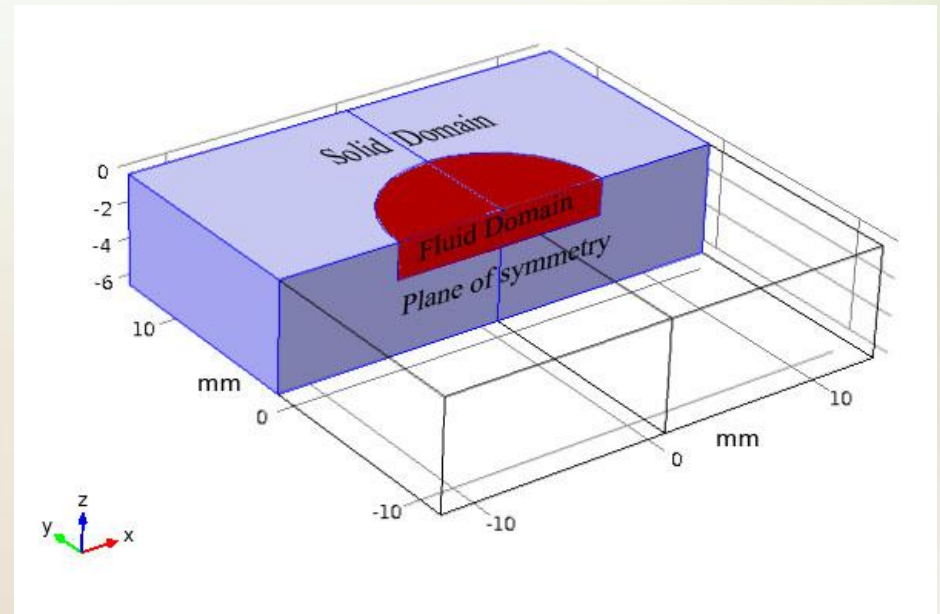
Classic transport equations are solved for the domain

Momentum equation:

$$\rho \frac{\partial \mathbf{u}}{\partial t} + \rho \mathbf{u} \cdot \nabla \mathbf{u} = \nabla \cdot \left[-p \mathbf{I} + \mu (\nabla \mathbf{u} + (\nabla \mathbf{u})^T) - \frac{2\mu}{3} (\nabla \cdot \mathbf{u}) \mathbf{I} \right] + \mathbf{F}_d + \mathbf{F}_b$$

$$\mathbf{F}_b = \mathbf{J} \times \mathbf{B} + \rho_0 (1 - \beta (T - T_s)) \mathbf{g}$$

$$\mathbf{F}_d = \frac{(1 - f_l)^2}{f_l^3 + \varepsilon} A_{mush} \mathbf{u}$$



Mathematical Formulations

Marangoni effect:

$$\mu \frac{\partial u}{\partial z} = f_l \frac{d\gamma}{dT} \frac{\partial T}{\partial x}$$
$$\mu \frac{\partial v}{\partial z} = f_l \frac{d\gamma}{dT} \frac{\partial T}{\partial y}$$

Energy equation:

$$\rho C'_p \left(\frac{\partial T}{\partial t} + \mathbf{u} \cdot \nabla T \right) = \nabla \cdot (k \nabla T) + Q_e$$
$$C'_p = C_p + \delta(T) \Delta H_f$$

Material properties

- Solution properties:

$$\bar{A} = \sum x_i A_i \quad \text{For } \rho, \mu, \beta, k, C_p \text{ and } \sigma$$

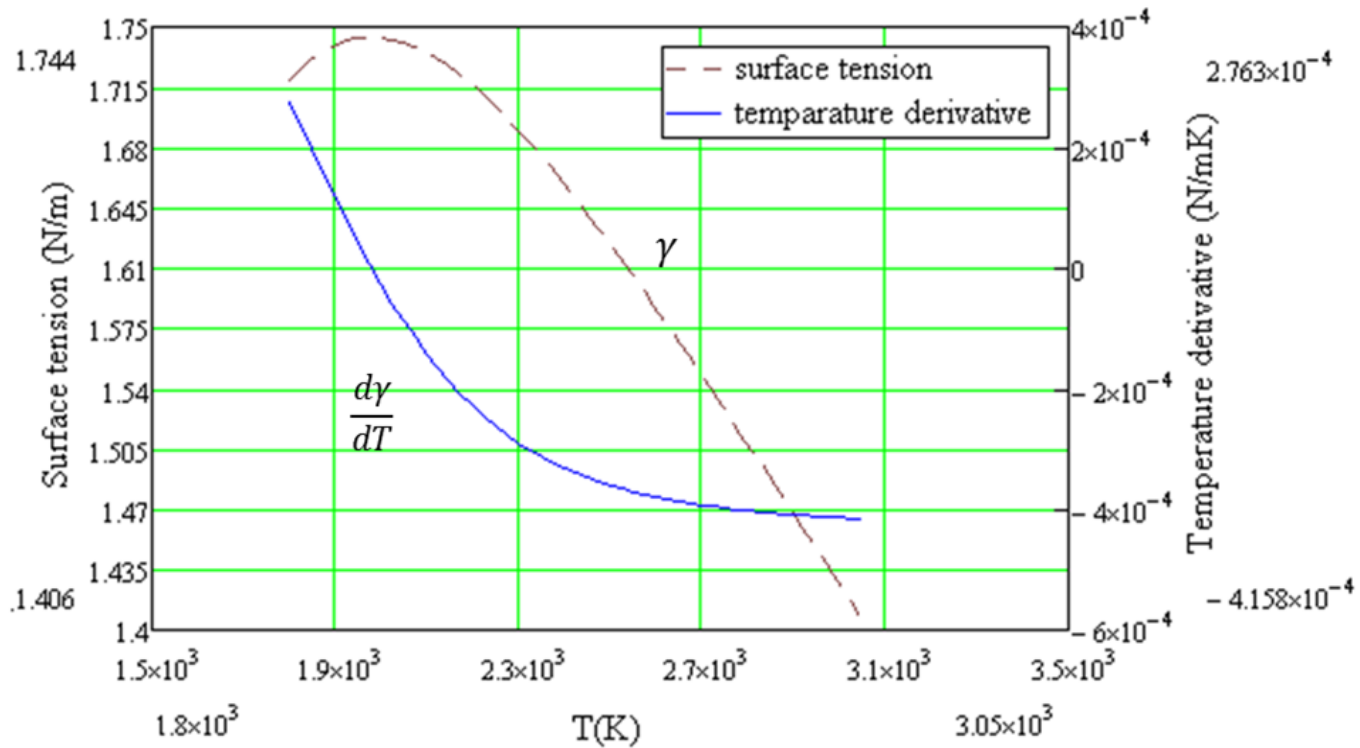
- Surface tension:

$$\gamma = \gamma_m - A_\gamma (T - T_i) - RT\Gamma_s \ln \left[1 + k_1 a_s \exp \left(\frac{-\Delta H_0}{RT} \right) \right]$$

$$\frac{d\gamma}{dT} = -A_\gamma - R\Gamma_s \ln(1 + Ka_s) - \frac{Ka_s}{1 + Ka_s} \frac{\Gamma_s \Delta H_0}{T}$$

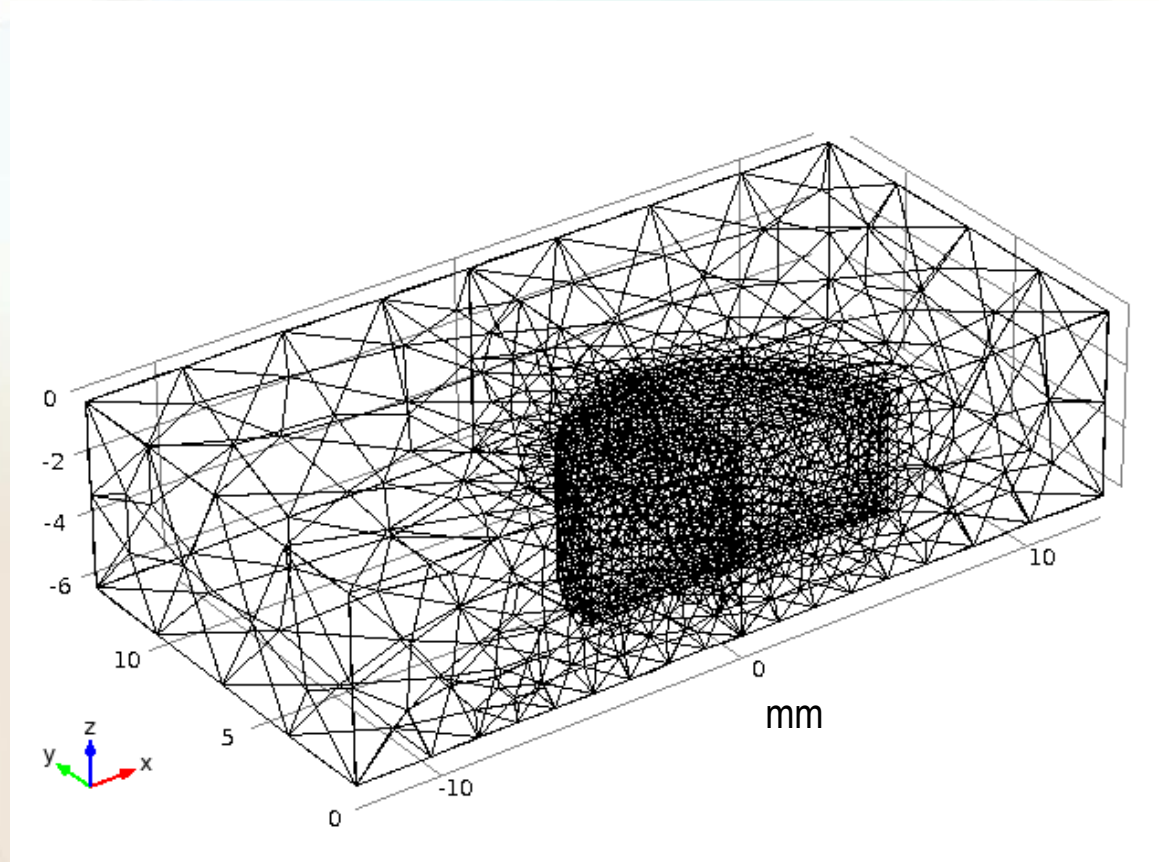
$$K = k_1 \exp \left(\frac{-\Delta H_0}{RT} \right)$$

For $a_s = 0.012 \text{ wt\%}$

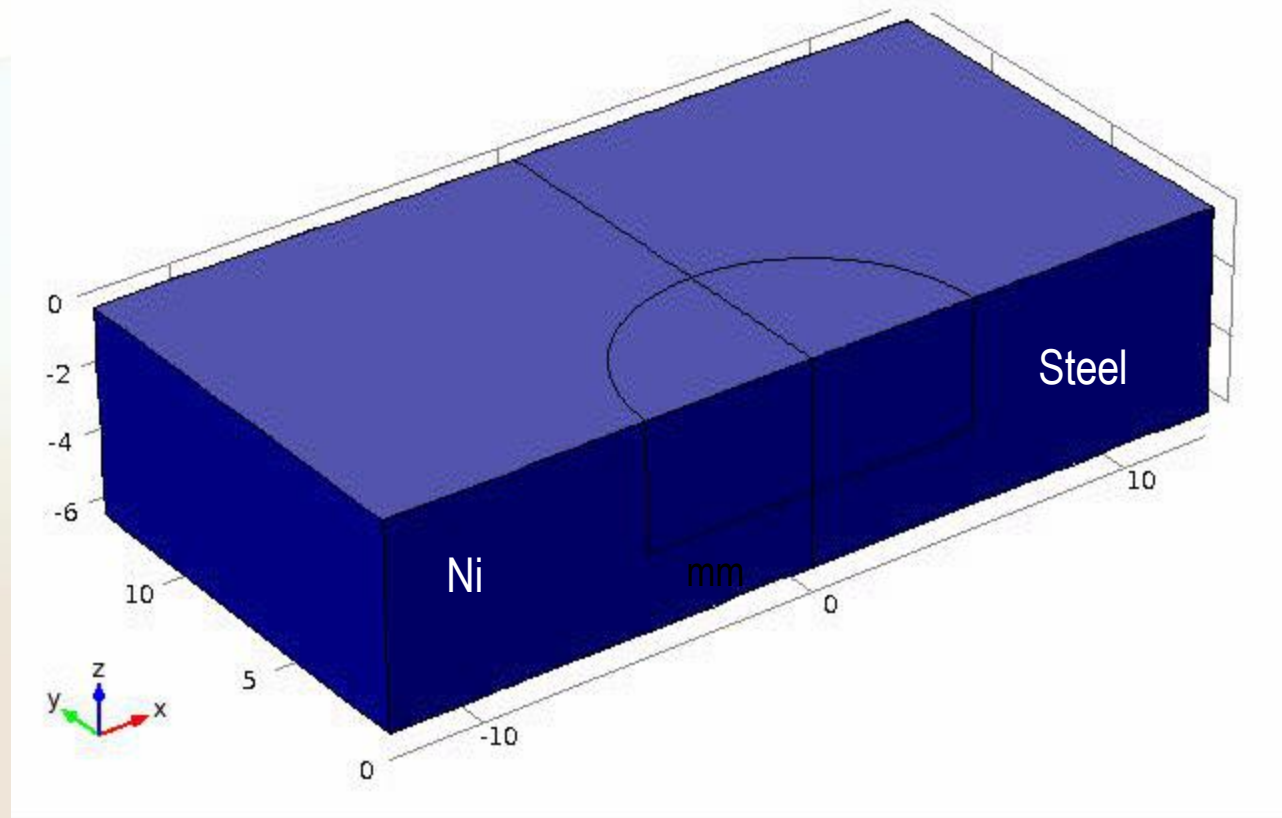


Numerical Method

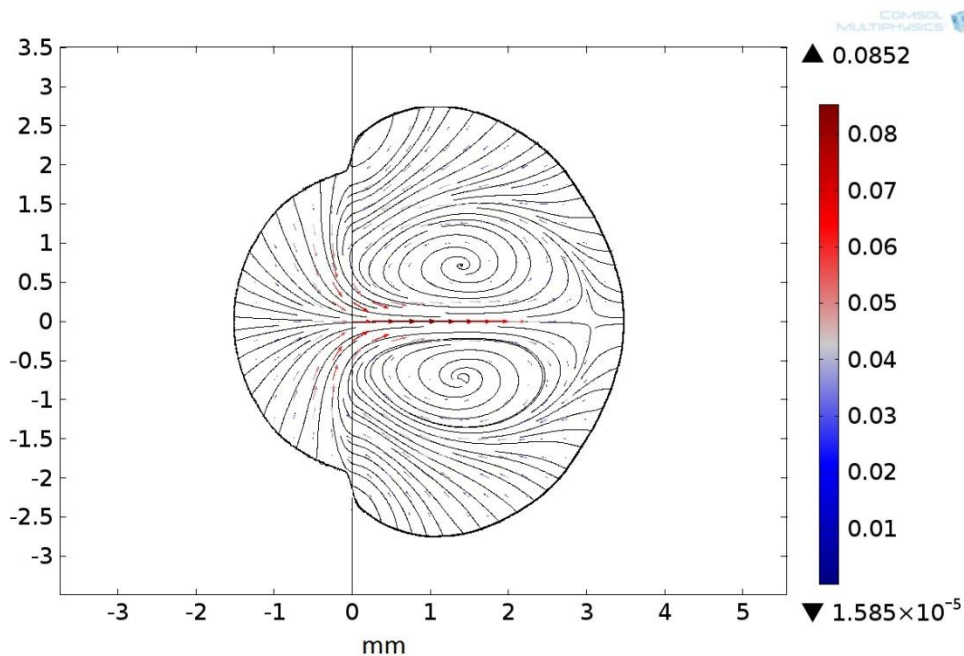
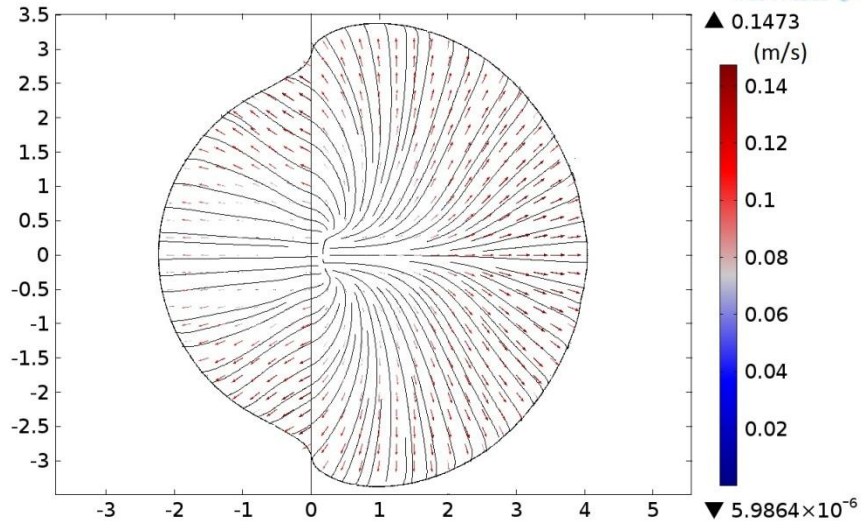
- Software: COMSOL Multi-Physics
- Physics :Electromagnetic Field, Fluid Flow and Heat transfer
- Mesh: Tetrahedral, 0.08 mm at Fluid and 1 mm at Solid Domain



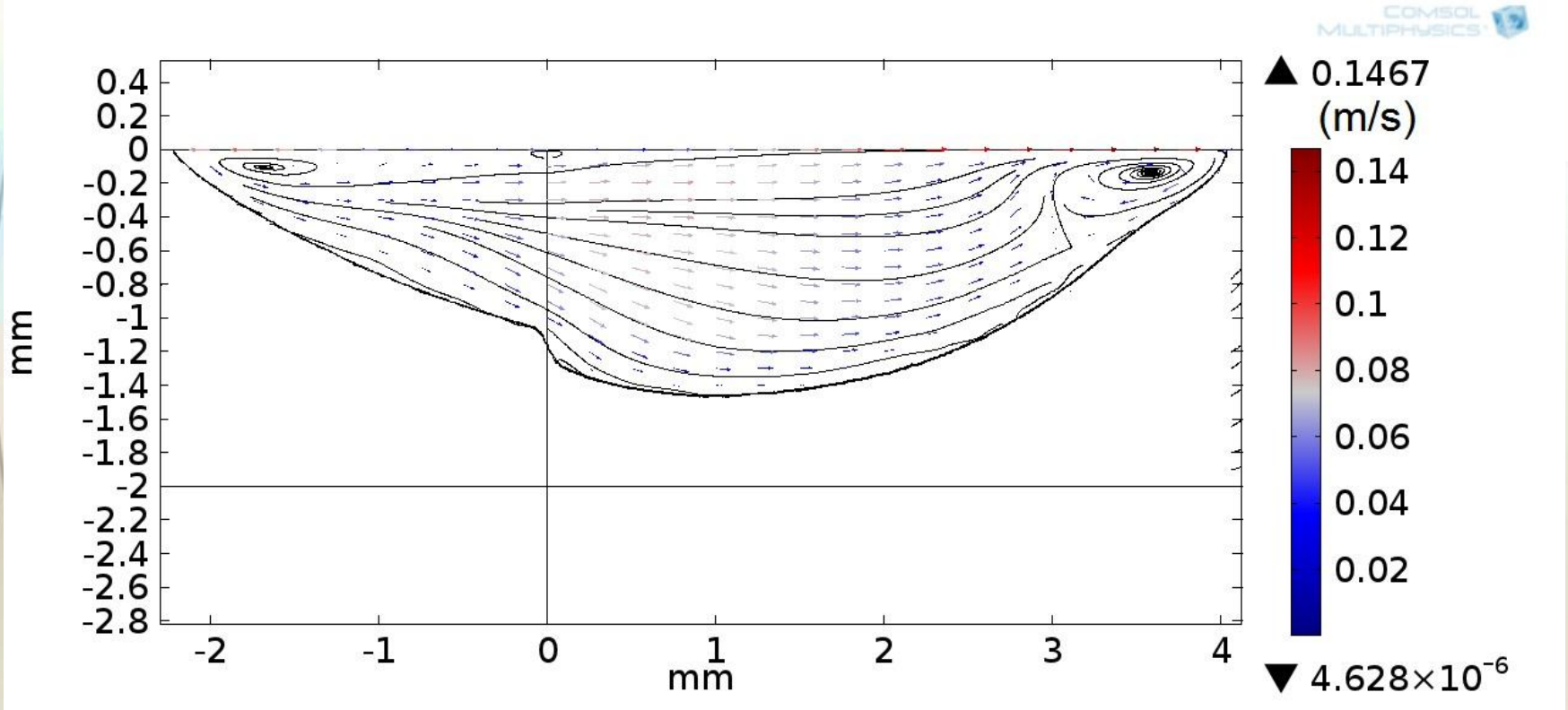
Numerical vs Experimental Results



Top View of the FZ



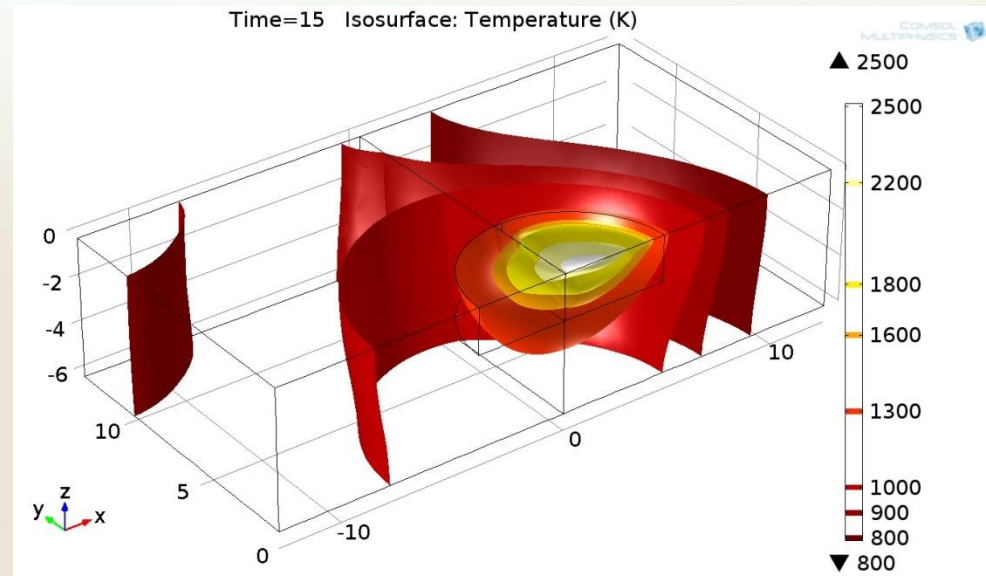
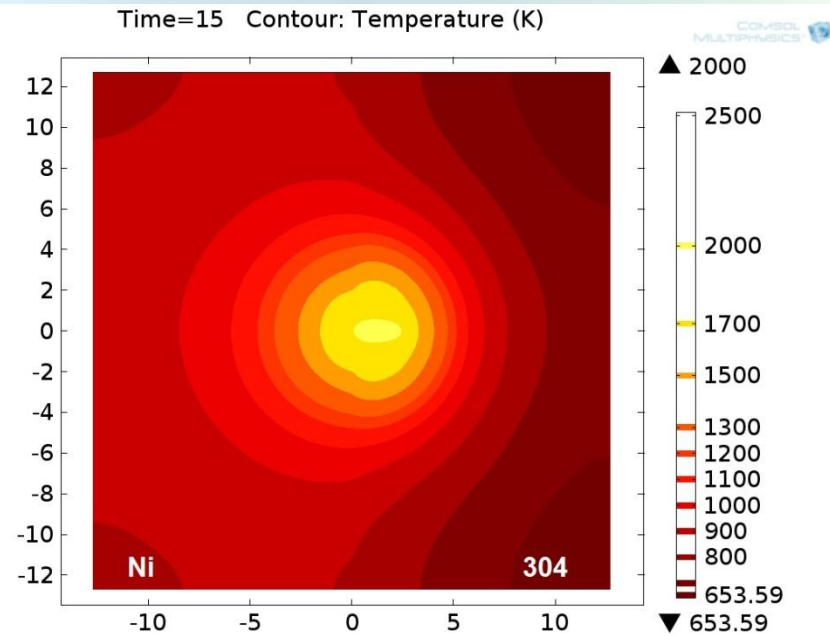
Side View of the FZ



1018 BM

2205 BM

Temperature Distribution



Conclusion

- Weld profile is asymmetric due to different melting points.
- Higher Lorentz force in the Ni side pushes the fluid towards the steel side.
- At the top surface flow is under Marangoni effect.
- Conductive heat transfer is higher in the Ni side; therefore its temperature grows higher.



Thank You